# A Secure and Robust Image Watermarking System Using Normalization and Arnold Scrambling

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## Abstract

This article proposes an image watermarking scheme to improve the robustness and security of watermark against several attacks. To achieve this, image normalization is utilized where affine transformation is applied on the image and which makes it as invariant to geometric transformations. The Lifting Wavelet Transform (LWT) and block based Discrete Cosine Transform (DCT) is applied to the cover image after normalizing an image. Then, the DC coefficients from all blocks are gathered and singular value matrix is constructed using Singular Value Decomposition (SVD). The watermark image is embedded in this singular value matrix after scrambling the image, which increases the security of the proposed scheme. The robustness and invisibleness of the proposed scheme is measured using Peak Signal to Noise Ratio (PSNR), Signal to noise Ratio (SNR) and Structural Similarity (SSIM). The comparison was made with existing schemes and it reveals that the proposed scheme provides high robustness than the existing one.

Keywords: Copyright protection, distortions, image watermarking, scrambling

## 1 Introduction

The marvelous growth in computer networks and the world wide web coupled with the exponential increase of computer performance, has facilitated the distribution of multimedia data [20]. The extraordinary technical revolution from analog to numerical technology was not achieved without generating anxiety in terms of the protection of the author's rights, since the digital media content, including audio, video and image can be quite easily duplicated, modified and illegally attacked by anyone, and without deterioration of the original image [10]. Thus, it came to be progressively imperative for creators of the computerized media archives to ensure themselves and secure interactive media reports as they were influenced by noteworthy income misfortunes.

Digital watermarks provide a solution to this issue and the exchange of multimedia documents has been since more secure. The digital watermarking was introduced at the beginning of the 1990s, as a second level of technical security protection after encryption. It consists of inscribing invisible secret data into the multimedia document to protect [12]. The key point of digital watermarking is to find the balance between the aspects such as robustness to various attacks and invisibleness. The invisibleness of watermarking is based on the intensity of embedding watermark and the better invisibleness is achieved for less intensity watermark. In general, there is a little compromise between the robustness and invisibleness. Increased robustness require a stronger embedding, which in turn increases the visual degradation of the images [19]. Under the human perception, the digital image watermarking scheme can be classified into two categories: visible and invisible. Visible watermarking in which, the information is obvious in the picture/video. For invisible watermarking, information is added as digital data audio, picture/video, but it cannot be perceived as such. Further, the invisible watermarks are categorized into watermarking techniques as fragile, semi fragile and robust. Fragile/semi-fragile watermark is applied to content authentication and integrity verification because of its sensitiveness to attacks. A robust method is generally used for copyright protection and ownership identification because they are designed to withstand attacks. But the geometric attacks are more complicated to deal with the other kinds of attacks. In this article, a watermarking method is proposed to alleviate the problem of distortion for geometric attacks. The rest of this paper is structured as follows: section 2 gives related works for solution to geometric distortion, section 3 gives the background details of the algorithms used, section 4 illustrates the proposed methodology, section 5 discusses the results and section 6 concludes the paper.

## 2 Related Works

The work in [4], the original image is transformed into Discrete Wavelet Transform (DWT) domain and a reference sub-image is formed using directive contrast and wavelet coefficient. Then the watermark is embedded by modifying the singular values of reference image using the singular values of the watermark. Many of the transform domain watermarking schemes are proposed by the authors in [3, 16, 23]. In [1] pseudorandom sequence of real number is used as watermark and genetic programming (GP) is used to structure the watermark for enhanced imperceptibility by reflecting the Human Visual System (HVS) aspects. The watermark is detected using correlation. The authors in [6], presented a robust and blind DWT based digital image watermarking scheme. The host image is transformed to wavelet domain and SVD is applied to each sub band. The watermark image is converted to form a new semi binary array and which is inserted into the selected values of SVs of decomposed host image's sub band.

The scheme in [12], the host image is normalized and Harris feature points are extracted to generate some nonoverlapped circular regions. The watermark is embedded and extracted into classified regions using the DCT domain. In [9], Zernike transform is applied to the normalized host image to calculate Zernike moments. Dither modulation is adopted to quantize the magnitudes of Zernike moments according to the watermark bit stream. The quality degradation of watermarked image brought about by the embedded watermark is visually transparent.

The work in [8], the first SVs of adjacent blocks of the normalized host image are concatenated to form a singular value (SV) block. DCT is then carried out in these SV blocks. A watermark bit is embedded in the high frequency band of an SVD-DCT block by infringing a specific relationship between two pseudo randomly selected DCT coefficients. The authors in [13], offered a scheme based on logo embedding in DCT domain using image normalization techniques. A visual mask is developed to get maximum watermark embedding with least perceptual degradation. The watermarking structure is based on DCT transform. In [14], visually significant feature points are extracted by end-stopped wavelet. The watermark is embedded in the non-overlapping circular images which are determined by the feature points. These feature points can be used as synchronization marks between watermark embedding and detection. The work in [11], both the normalized host image and watermark image is divided into  $8 \times 8$  sized block and DCT is applied on each block of host image. Then each watermark block is embedded in the transformed block respectively. The proposed scheme in [18], Blind Normalization Algorithm (BNA) is used to achieve affine invariant wavelet transform. In this, the first step is rotate and scale (RnS) that rotates the signal by a fixed angle  $\theta$  followed by scale normalization. The second step is the computation of the orientation indicator index (OII). The normalized cover image is wavelet decomposed then the watermark is embedded in DC coefficients of a DCT transformed image. The watermarking schemes in [11, 18, 24, 25] were implemented in DCT and wavelet domains alone and the robustness achieved by these schemes were not that impressive. To improve the robustness further, the proposed scheme combines the LWT and DCT algorithms with Singular Value Decomposition.

## **3** Background Details

#### 3.1 Discrete Cosine Transform(DCT)

DCT is used to convert the Time domain/spatial domain signal into the frequency domain signal. It is widely used algorithm, due to its compaction and de-correlation properties. The DCT of a given matrix gives the frequency coefficients in the form of another matrix and it is scattered into two: DC and AC coefficients. The left top corner element (zero frequency) is called as DC coefficient which is perceptually significant and which aids to enhance the robustness of the watermark [26].

### 3.2 Lifting Wavelet Transform (LWT)

LWT with standard 4-tap ortho normal filter with two vanishing moments is used for digital image watermarking. This algorithm consists of following three steps and is given by [21].

1) Split: It splits an input signal x(n) into even and odd samples:

$$x_e(n) = x(2n), x_o(n) = x(2n+1)$$
(1)

2) Prediction: It denotes high frequency components of x(n). It takes a difference, between the prediction value of even sample and the original value of odd sample and is denoted as detail signal d(n).

$$d(n) = x_o(n) - P[x_e(n)]$$
(2)

where P is prediction operator.

3) Update: Update: It updates the even samples using d(n) and it denotes low frequency components of x(n) and is denoted as c(n).

$$c(n) = x_e(n) + U[d(n)]$$
(3)

where U is update operator.

In comparison with general wavelets, reconstruction of image by lifting wavelet is flawless because, it increases smoothness and reduces aliasing effects. It reduces loss of information, increases intactness of the embedded watermark in the image and helps to increase the robustness of the watermark [23].

#### **3.3** Singular Value Decomposition (SVD)

SVD is an optimal matrix decomposition technique and it packs the maximum signal energy into as few coefficients as possible. It has the ability to adapt to the variations in local statistics of an image [5]. The main features of SVD under the perspective of image processing are as follows:

- The quality of the reconstructed image will not degrade a considerable measure, even if ignoring the small SV's in the reconstruction of images.
- The SVs have very good stability, i.e. When a small annoyance is added to an image, the SVs do not vary rapidly.

An image of a real matrix with the size of  $m \times n$  can be decomposed as: A = U \* S \* V'. Where U is a  $m \times m$ unitary matrix, S is a  $m \times n$  matrix with nonnegative numbers on the diagonal and zeros on the off diagonal, and V' denotes the conjugate transpose of V is a  $n \times n$  unitary matrix. The unitary matrix U and V represent the geometry of an image. The nonnegative components of S represents the luminance value of the image.

#### 3.4 Image Normalization

Image normalization is used to perform watermark embedding and extraction in its original coordinate system by affine transforming the image. The transform parameters are estimated from the geometric moment of the image. Therefore, the image which is invariant to any affine distortions of the image [2, 15]. It will ensure the integrity of watermark, even if, the watermarked image undergoes affine geometric attacks and which increases robustness of watermark [7]. The normalization procedure is composed of the following steps [13].

- **Step 1:** To obtain the translation invariance, shifting the cover image to its central point, image center
  - for f(x, y) is determined by the equation  $\begin{pmatrix} x_a \\ y_a \end{pmatrix} = A\begin{pmatrix} x \\ y \end{pmatrix} d$ , where,  $A = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$  and  $d = \frac{d_1}{d_2}$  with:  $d_1 = \frac{m_{10}}{m_{00}}, d_2 = \frac{m_{01}}{m_{00}}$ . Where  $m_{00}, m_{01}, m_{10}$  are geometric moments of an image and let  $f_1(x, y)$  denotes the resulting center image.
- **Step 2:** Apply shearing transform on  $f_1(x, y)$  in the Xdirection with matrix denoted  $A_x = \begin{pmatrix} 1 & \beta \\ 0 & 1 \end{pmatrix}$  by  $f_2(x, y) = A_x[f_1(x, y)]$ . The value of  $\beta$  can be calculated using following equation  $\mu_{30} = \mu_{30} + 3\beta\mu_{21} + 3\beta\mu_{12} + \beta^3$ .
- **Step 3:** Apply transform to  $f_2(x, y)$  in the Y-direction with the matrix is denoted  $A_y = \begin{pmatrix} 1 & 0 \\ \gamma & 1 \end{pmatrix}$  by  $f_3(x, y) = A_y[f_2(x, y)]$ . The value of  $\gamma$  can be calculated using following equation  $\mu_{11} = \gamma \mu_{20} + \mu_{11}$ .

**Step4:** Apply Scale  $f_3(x, y)$  in both X and Y directions such that  $A_s = \begin{pmatrix} \alpha & 0 \\ 0 & \delta \end{pmatrix}$  and the resulting image is denoted by  $f_4(x, y) = A_s[f_3(x, y)]$ . The value of parameters  $\alpha$  and  $\delta$  are determined by its moments  $\mu_{50} > 0, \mu_{05} > 0$  respectively.

Where,  $\mu$  is central moment & m is the geometric moment of an image with p + q order and p, q = 0, 1, 2, ...

#### 3.5 Arnold Scrambling

Scrambling is a pretreatment stage of watermarking and which makes the meaning full image as meaningless one. It is an essential issue to have the spatial correspondence decreased between the host image and the embedded watermark [22]. The 2-dimensional Arnold scrambling transformation is defined as:

$$\begin{pmatrix} x'\\y' \end{pmatrix} = \begin{pmatrix} 1 & 1\\ 1 & 2 \end{pmatrix} \begin{pmatrix} x\\y \end{pmatrix} modN$$
(4)  
$$x, y \in 0, 1, 2, \dots N - 1$$

Wherein, x and y is the pixel coordinates of the original space: x' and y' is the pixel coordinates, after iterative computation scrambling; N is the size of the image, also referred to as a step number. By the above formula the corresponding inverse transform formula can be obtained:

$$\begin{pmatrix} x \\ y \end{pmatrix} = \begin{pmatrix} 2 & -1 \\ -1 & 1 \end{pmatrix} \begin{pmatrix} x' \\ y' \end{pmatrix} modN$$

$$x', y' \in 0, 1, 2, \dots N - 1$$

$$(5)$$

It is easy to restore the original initial state according to the corresponding iterations [17]. Arnold transformation is cyclical, when iterate to a step, it will regain original image. It is not able to restore the image without knowing about the cycle and iterations. Thus it makes security of the embedded watermark strongest.

## 4 Proposed Method

The watermarking scheme consists of watermark embedding and extraction processes. These two processes of proposed scheme are illustrated in the following subsections.

## 4.1 Watermark Embedding

The basic idea of invisible image watermark is to embed the watermark on the cover image without damaging its visual content. The proposed watermark embedding process is shown in Figure 1 and the steps involved in it are as follows:

**Step 1:** The normalization procedure is applied to the cover image.

- **Step 2:** Normalized cover image is converted into four sub bands (LA, LH, LV& LD) of wavelet coefficients by applying single level LWT with Haar wavelet scheme.
- **Step 3:** The wavelet coefficients of sub band is selected and divided as  $8 \times 8$  non-overlapping sub blocks.
- **Step 4:** Then the forward DCT is applied to each non overlapping block. Then, DC coefficient from each DCT transformed block is retrieved to form a matrix of DC's and Singular values are extracted using SVD.
- **Step 5:** The watermark image is embedded on the matrix of singular values using controlling parameter called gain factor (g), after applying the Arnold scrambling.
- **Step 6:** The modified SVs are replaced with original DC coefficients of each DCT transformed block and then inverse DCT is applied to each sub blocks.
- **Step 7:** The all  $8 \times 8$  non-overlapping sub blocks are organized as a single block matrix and the image is reconstructed using Inverse LWT with one modified and other three unmodified sub bands.
- **Step 8:** The inverse normalization procedure is applied to get the watermarked image.

#### 4.2 Watermark Extraction

The steps involved in the watermark extraction process are as follows:

- **Step 1:** First, the normalization procedure is applied to the watermarked image then it is decomposed using single level LWT to get the sub bands of coefficients.
- Step 2: The sub band, which has chosen for embedding process is selected and divided as  $8 \times 8$  non-overlapping sub blocks to transform it to DCT coefficients.
- **Step 3:** The DC coefficients from each DCT transformed block is retrieved and SVD is applied to extract the scrambled watermark coefficients.
- **Step 4:** Then the inverse scrambling procedure is applied to obtain a meaning full recovered watermark image.

## 5 Results and Discussions

The experiment was done by Mathworks MATLAB version 12b. The single level LWT with Haar wavelet is applied to an input image. The watermark is embedded into the wavelet of each sub band. The input of cover and watermark images are taken as a grayscale image whose resolution is  $256 \times 256$  and  $32 \times 32$  respectively. Figure 2 shows the sample cover image flower and the watermark



Figure 1: The Proposed scheme



Figure 2: Sample Cover and Watermark images

K logo. Figure 3 shows watermarked flower image and the recovered K logo watermark.

In order to test the fidelity and robustness of proposed method, the metrics such as Peak Signal-to-Noise Ratio (PSNR), Structural Similarity (SSIM) and Signal-to-Noise Ratio (SNR) are calculated by Equations (6)-(9). Here, O & W represents the Original and Watermarked



Watermarked Image Extracted watermark



and or recovered images.

$$PSNR = 10log_{10} \left(255^2/MSE\right) \tag{6}$$

$$MSE = \frac{\sum [O(m,n) - W(m,n)]}{M \times N}$$
(7)

$$SSIM(x,y) = \frac{(2\mu_x\mu_y + c_1)(2\sigma_{xy} + c_2)}{(\mu_x^2 + \mu_y^2 + c_1)(\sigma_x^2 + \sigma_y^2 + c_2)}$$
(8)

where.

- $\mu_x, \mu_y$  is the average of x,y respectively;
- $\sigma_x^2, \sigma_y^2$  is the variance of x and y;
- $\sigma_{x,y}$  is covariance of x and y;
- $c_1 = (k_1 L)^2, c_2 = (k_2 L)^2$  are two variables to stabilize the division with weak denominator;
- L is the dynamic range of the pixel values  $k_1 = 0.001 \text{ and } k_2 = 0.03 \text{ by default.}$

$$SNR = \frac{\sum_{i=o}^{M-1} \sum_{j=0}^{N-1} [O(i,j)^2]}{\sum_{i=o}^{M-1} \sum_{j=0}^{N-1} [(O(i,j)^2 - W(i,j))^2]}$$
(9)

To experimentally ascertain the robustness and fidelity, the proposed approach is assessed with the watermarked image against the following attacks: Rotation, Scaling, Translation, X-Shearing, Y-shearing, noise, Contrast Increment (Cont Inc) and Histogram Equalization (Hist Eq) and the results are exposed in the Figure 4 & Figure 5. It depicts that the proposed system is resilient to all the attacks.

The fidelity and robustness of proposed scheme subject to different sub bands for the flower image is embedded with k logo watermark, is measured by PSNR calculation and is given in Table 1. It shows that the PSNR value of robustness is greater in LD sub band when compared with the other sub bands. Further, Table 2 displays the robustness of the proposed system using PSNR, SSIM and SNR measures for LD sub band subjecting to the geometric and other kinds of attacks for the gain factor of 0.5. It shows that the robustness (PSNR value) acheived is excellent for the geometric attacks scaling (46.6051), rotation (46.6092), and translation (46.6204), X- shearing (59.9161) and Y-shearing (60.1973).





(d) X-Shearing (e) Y-Shearing (f) Noise



Figure 4: Flower image embedded with K logo watermark subjected to various attacks a) rotation, b) translation, c) scaling, d) X-Shearing, e) Y-shearing, f) noise, g) Cont. Inc and h) Hist Eq





Figure 5: K logo watermark extracted from flower image after subjecting it to various attacks a) rotation, b) translation, c) Scaling, d) X-Shearing, e) Y-shearing, f) noise, g) Cont Inc and h) Hist Eq.



Figure 6: Cover image man and watermark CS logo image

#### 5.1Comparison of Proposed Scheme with BNA Scheme

In order to justify the results, the proposed scheme is compared with the existing system Blind Normalization

Table 1: Fidelity and robustness (PSNR value) of the flower image watermarked with K logo watermark in different sub bands

| Gain Factor | LA      | LH      | LV      | LD      |  |  |
|-------------|---------|---------|---------|---------|--|--|
| Fidility    |         |         |         |         |  |  |
| 0.1         | 38.9936 | 39.5433 | 39.6337 | 39.8160 |  |  |
| 0.5         | 31.2529 | 34.6081 | 35.1472 | 37.2655 |  |  |
| 1           | 26.2422 | 30.1644 | 31.1007 | 33.6606 |  |  |
| Robustness  |         |         |         |         |  |  |
| 0.1         | 20.9747 | 37.9505 | 35.1736 | 49.7414 |  |  |
| 0.5         | 17.9527 | 39.8228 | 46.3689 | 65.6337 |  |  |
| 1           | 24.9196 | 37.3635 | 46.3348 | 71.2505 |  |  |

Table 2: Robustness of extracting K logo watermark for gain factor=0. 5

| Attacks     | PSNR    | SNR     | SSIM   |
|-------------|---------|---------|--------|
| Rotation    | 46.6092 | 59.3065 | 0.9996 |
| Translation | 46.6204 | 62.4176 | 0.9998 |
| Scaling     | 46.6051 | 58.0547 | 0.9996 |
| X-Shearing  | 59.9161 | 58.3359 | 0.9996 |
| Y-Shearing  | 60.1973 | 59.3065 | 0.9996 |
| Noise       | 34.7532 | 32.8918 | 0.9996 |
| Cont. Hist. | 66.2200 | 64.3586 | 0.9996 |
| Hist Eq.    | 62.1603 | 60.2989 | 0.9996 |



Figure 7: Cover image man embedded with CS logo watermark with various attacks a) Noise, b) Rotation, c) Cont Inc, d) Hist Eq, e)Scaling

Algorithm (BNA) based DWT- DCT watermarking[21]. The sample images in the BNA method namely man and CS logo is used as the benchmark image to do the comparative study about the performance of the proposed method and is shown in Figure 6. The Figure 7 displays the watermarked man image after the geometric attacks (Rotation & scaling) and other attacks (Noise, Cont Inc & Hist Eq).

Figure 8 displays the extracted watermark CS logo subjecting to the attacks. For comparison purpose, the proposed system is tested with the same gain factors namely



Figure 8: CS logo watermark extracted from Man image after subjecting it to various attacks a) Noise, b) Translation, c) cont Inc, d) Histogram Equalization, e) Scaling

0.1, 0.5 and 1. Table 3 & Table 4 showing the comparison of fidelity and robustness of proposed method with BNA method for different sub bands with gain factors. It demonstrates that the robustness as well as the fidelity of the proposed method is far better compared to the BNA method. The improved PSNR and SNR values of the proposed method show that the proposed method is highly robust. It also shows that the LD sub band gives better PSNR and SNR values out of four sub bands. The results also depict that the watermark can be embedded in the LD sub band without any deterioration in the image quality (fidelity) and as well as it is robust to any kind geometric attacks. Further, the Table 3 also reveals that the fidelity is better for smaller gain factor.

The Figures 9-12 graphically shows that the comparison of robustness of the proposed system with BNA method for the different wavelet sub bands. Table 5 also gives a better robustness for LD sub band for the attacks with 0.5 gain factor and which is graphically shown in the Figure 13. It also shows that proposed method is highly improved compared to BNA method.



Figure 9: Gain factor vs PSNR (Robustness) for LA sub band of cover image man embedded with CS logo watermark

#### 5.2 Robustness Against Multiple Attacks

The robustness of the proposed system is also tested to ascertain how it handles multiple geometric attacks at a

| Sub Band | Gain Factor | Fidility   |         |                 |         |
|----------|-------------|------------|---------|-----------------|---------|
|          |             | BNA Method |         | Proposed Method |         |
|          |             | PSNR       | SNR     | PSNR            | SNR     |
| LA       | 0.1         | 13.7642    | 1.3316  | 34.1176         | 21.7089 |
|          | 0.5         | 13.7528    | 1.3316  | 29.9730         | 17.5492 |
|          | 1           | 13.6901    | 1.2948  | 26.0615         | 13.0445 |
| LH       | 0.1         | 33.9066    | -0.0668 | 34.2859         | 21.8650 |
|          | 0.5         | 32.1404    | -0.0852 | 18.5312         | 18.5312 |
|          | 1           | 29.6951    | -0.1007 | 29.7522         | 15.9511 |
| LV       | 0.1         | 33.8943    | -0.0672 | 32.7276         | 20.3010 |
|          | 0.5         | 32.0385    | -0.0847 | 31.8376         | 19.4194 |
|          | 1           | 29.6203    | -0.0995 | 29.9251         | 17.5330 |
| LD       | 0.1         | 33.9892    | -0.0668 | 34.7744         | 19.3031 |
|          | 0.5         | 32.4560    | -0.0864 | 32.7048         | 17.2510 |
|          | 1           | 30.2078    | -0.1022 | 29.2401         | 15.0430 |

Table 3: Comparison of Fidelity for watermarked man image for different wavelet sub bands

Table 4: Comparison of Robustness of the proposed method with BNA method for different wavelet sub bands

| Sub Band | Gain Factor | Fidility   |          |                 |         |
|----------|-------------|------------|----------|-----------------|---------|
|          |             | BNA Method |          | Proposed Method |         |
|          |             | PSNR       | SNR      | PSNR            | SNR     |
| LA       | 0.1         | -7.1022    | -43.9509 | 22.5152         | 4.4709  |
|          | 0.5         | 6.0576     | -26.9779 | 18.4435         | 9.2920  |
|          | 1           | 10.1599    | -24.0186 | 19.0440         | 7.7655  |
| LH       | 0.1         | 13.5618    | -4.9816  | 31.5569         | 19.9601 |
|          | 0.5         | 13.5498    | 4.1096   | 43.5801         | 34.3042 |
|          | 1           | 13.4536    | 7.3074   | 42.0741         | 32.8275 |
| LV       | 0.1         | 13.6057    | -3.9755  | 37.6449         | 27.3884 |
|          | 0.5         | 13.5384    | 3.8456   | 51.1598         | 41.9306 |
|          | 1           | 13.4780    | 7.3965   | 58.7038         | 49.4626 |
| LD       | 0.1         | 13.4157    | 1.1388   | 46.2885         | 37.0577 |
|          | 0.5         | 13.4139    | 12.1995  | 57.9158         | 48.6794 |
|          | 1           | 13.3901    | 14.4298  | 66.2543         | 57.0100 |

Table 5: Comparison of robustness (LD sub band) of proposed method with BNA method for different attacks (g=0.5)

| Methods    | BNA Method |         | Proposed Method |         |  |
|------------|------------|---------|-----------------|---------|--|
| Attacks    | PSNR       | SNR     | PSNR            | SNR     |  |
| Noise      | 13.3336    | 4.9786  | 35.4550         | 26.2351 |  |
| Rotation   | 13.4263    | 10.9554 | 39.3071         | 49.7238 |  |
| Cont. Inc. | 13.4329    | 10.1274 | 55.5388         | 46.3165 |  |
| Hist. Eq.  | 13.4643    | 8.3710  | 55.1915         | 45.9938 |  |
| Scaling    | 13.4925    | 7.5581  | 39.2162         | 44.8618 |  |



Figure 10: Gain factor vs PSNR (Robustness) for LH sub band of cover image man embedded with CS logo watermark



Figure 11: Gain factor vs PSNR (Robustness) for LV sub band of cover image man embedded with CS logo watermark



Figure 12: Gain factor vs PSNR (Robustness) for LD sub band of cover image man embedded with CS logo watermark



Figure 13: Robustness under the attacks for LD sub band for cover image man embedded with CS logo watermark

time. Hence, the various combinations of geometric attacks were applied to watermarked images and the watermark was recovered after the attacks. The images are taken from the standard image processing database which was embedded with the watermark shown in Figure 2. The watermark was recovered after the attacks and results are shown in Figure 14. The experiment is repeated with 20 images from the database and the mean quality measures such as PSNR and SNR tabulated in Table 6. Table 6 reveals that the proposed method is resilient to combination of various attacks also.

Table 6: Robustness for combination of geometric attacks for gain factor  $0.5\,$ 

| Combination of Attacks       | Quality Metrics |         |
|------------------------------|-----------------|---------|
|                              | PSNR            | SNR     |
| Rotation +Translation        | 50.2126         | 38.5376 |
| Translation + Scaling        | 41.6941         | 29.1566 |
| Rotation+Scaling             | 46.3957         | 34.6203 |
| Rotation+Translation+Scaling | 46.1827         | 34.1939 |
| X&Y directional Shearing     | 49.3310         | 37.8248 |
| Rotation+Translation         | 50 4827         | 30.0628 |
| +X & Y Directional Shearing  | 50.4627         | 39.0028 |
| Translation+Scaling          | 10 0000         | 99 1711 |
| +X & Y Directional Shearing  | 40.0000         | 20.1711 |
| Rotation+Scaling             | 45 2001         | 33.6296 |
| +X & Y Directional Shearing  | 40.0021         |         |
| Rotation+Translation+Scaling | 41 2514         | 28 6007 |
| +X & Y Directional Shearing  | 41.5014         | 20.0097 |

## 6 Conclusion

In this paper, a secure and robust watermarking scheme is developed for geometric distortion and other several attacks using image normalization. The robustness of wa-



Figure 14: Results of Combination of Gometric Attacks

termark is improved by combining the algorithms namely LWT & DCT with Singular Value Decomposition. The security of proposed scheme is also achieved by scrambling the watermark image. Then, the proposed method was tested in different wavelet sub bands and various gain factors. The results from the test illustrates that the watermark embedded in the LD sub band is highly robust to geometric and various kinds of attacks. The performance of the proposed system is also compared with the results of the BNA method for various gain factors and it also reveals that the proposed system is superior and LD sub band is highly to the attacks.

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